

The Environment as an Argument

Context-Aware Functional Programming

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Context-awareness

"Context is any information that can be used to characterize the situation of an entity. An entity is a person, place, or object that is considered relevant to the interaction between a user and an application, including the user and applications themselves."

Dey, 2000

Why Context-awareness matters

- Widespread availability of mobile computing devices.
- Appearance of practical context-aware applications.
- Existing research didn't see widespread practical adoption:
 - Inflexible and heavyweight.
 - A more declarative approach needed?

Our goals

- Context should be invisible in the eyes of the programmer.
- Contextual values should not behave differently from regular values.
- Common functionality should be derived:
 - Fetching information from sensors.
 - Known relationships between data and context.
- Safety guarantees must be provided.

Example scenario

- We wish to present a sorted list of shops on a mobile device.
- Abstracting away common functionality:
 - Fetching location from sensors.
 - Sorting by proximity.
- Example in an ideal Haskell-like language.

Example scenario

Application code:

```
nearestShops = sortC location allShops
```

```
main = loop (realize (print (take 10 nearestShops)))
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```
nearestShops :: [Shop] :↓ { User ▷ IsLocatedAt }  
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main = loop (realize (print (take 10 nearestShops)))
```

```
-- note that
```

```
take :: Int → [a] → [a]
```

```
take 10 nearestShops :: [Shop] :↓ { User ▷ IsLocatedAt }
```

Example scenario

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Example scenario

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```
main = loop (realize (print (take 10 nearestShops)))
```

-- main is equivalent to:

```
main = loop do
  loc ← fetchLocation
  User ► IsLocatedAt := loc
  print (take 10 nearestShops)
```

-- custom do-notation provides type safety

Outline: Context-awareness in a declarative language

We address two main aspects of context-awareness:

- Defining computations that depend on context values.
- Managing a global knowledge base of context.

Context-dependent values

- Context-dependent values are (isomorphic to) functions:
 $a : \downarrow c \cong c \rightarrow a$
- We can apply them to a context to get their value.
- The challenge is then to make these behave as values.
 - So we can apply regular functions to them.

Making context-dependent values first-class

- We can start by using the applicative functor idiom:

$$\text{pure} :: a \rightarrow a : \downarrow c$$
$$\text{pure } x = \lambda c. x$$
$$(\otimes) :: (a \rightarrow b) : \downarrow c \rightarrow a : \downarrow c \rightarrow b : \downarrow c$$
$$cf \otimes cx = \lambda c. (cf c) (cx c)$$
$$\llbracket f \ x_1 \ x_2 \ \dots \ x_n \rrbracket = \text{pure } f \ \otimes \ x_1 \ \otimes \ x_2 \ \otimes \ \dots \ \otimes \ x_n$$

Making context-dependent values first-class

- The type of \otimes in the previous slide is arguably too restrictive.
 $(\otimes) :: (a \rightarrow b) : \downarrow c \rightarrow a : \downarrow c \rightarrow b : \downarrow c$
- It only works for a single context type!
- It would be better if we could combine different context types.
- As a first approach, consider:
 $(\otimes_{\times}) :: (a \rightarrow b) : \downarrow c_1 \rightarrow a : \downarrow c_2 \rightarrow b : \downarrow (c_1 \times c_2)$
 $af \otimes_{\times} ax = (af \circ fst) \otimes (ax \circ snd)$
- This scheme works, but produces duplicates.

Making context-dependent values first-class II

- We need to define strongly typed heterogeneous sets.
- We define π_{\subseteq} as a way to extract subsets of context:

$$\pi_{\subseteq} :: (c_1 \subseteq c_2) \Rightarrow c_2 \rightarrow c_1$$

- We also define set union at the type level.
- We can now define a much more flexible operator:

$$(\otimes_{\cup}) :: (a \rightarrow b) : \downarrow c_1 \rightarrow a : \downarrow c_2 \rightarrow b : \downarrow (c_1 \cup c_2)$$
$$\text{af } \otimes_{\cup} \text{ ax} = (\text{af} \circ \pi_{\subseteq}) \otimes (\text{ax} \circ \pi_{\subseteq})$$

- This solves the problem.
 - Collects all dependencies in the arguments in a minimal set.
 - Allows us to apply regular functions to context-dependent values.

Managing the knowledge base

- We now turn our attention to the knowledge base problem.
- It should interact well with the abstractions so far.
- The typing information allows for safety guarantees.
- We use a parameterised state monad for this.

Managing the knowledge base II: Parameterised monads

- We can extend $:\downarrow$ to keep track of eventual produced context:

$$\text{CR}(c_1, c_2, a) \cong c_1 \rightarrow (a \times c_2)$$

- In our case:

- c_1 represents the required context set.
- c_2 represents the resulting context set.

- This forms a (well-known) parameterised monad:

$$\text{return} :: a \rightarrow \text{CR}(c, c, a)$$

$$\begin{aligned} (>>=) :: \text{CR}(c_1, c_2, a) \rightarrow (a \rightarrow \text{CR}(c_2, c_3, b)) \\ &\rightarrow \text{CR}(c_1, c_3, b) \end{aligned}$$

- We can use custom do-notation as seen in the example.

Managing the knowledge base III: Parameterised monads

- Execution of these computations requires the empty context:
 $\text{runCR} :: \text{CR}(\emptyset, \text{cr}, a) \rightarrow (a, \text{cr})$
- When we add knowledge to the KB, we keep track of it:
 $\text{pushC} :: c \rightarrow \text{CR}(cs, \{c\} \cup cs, ())$
- Injection from $:\downarrow$ to CR enforces existence of context:
 $\text{inContext} :: a : \downarrow cs \rightarrow \text{CR}(cs, cs, a)$

Managing the knowledge base IV: Realisable

- The $:\downarrow$ type contains the required context information.
- If we know how to fetch the required contextual set:
 $\text{realize} :: (\text{Realizable } c) \Rightarrow a : \downarrow c \rightarrow \text{CR}(\emptyset, c, a)$

In summary

- Standard functions applied over contextual values, seamlessly.
- Contextual dependencies accumulated in the type.
 - Using the modified applicative idiom: `pure` and `⊗U`.
- Information added to the KB manually is tracked in the type.
- `realize` automatically derives safe retrieval code.
- Safety is enforced.
 - Using the CR parameterised state monad.

Future Work

- A translation from the ideal language to the EDSL (completed).
- Richer variants of the retrieval-usage loop (FRP?).
- Dealing with historical data.

Conclusion

- Embedding of context-awareness semantics.
- Easier and safer to develop context-aware applications.
- Can hopefully make FP more attractive to developers.

Thank you for listening. Questions?